4.5: Domain and Range

SWBAT identify the domain and range of a function.

Assignment:

HW28

Several slides © Noelani Davis, <u>https://betterlesson.com/lesson/595474/domain-and-range</u>

Review

Definitions:

Function

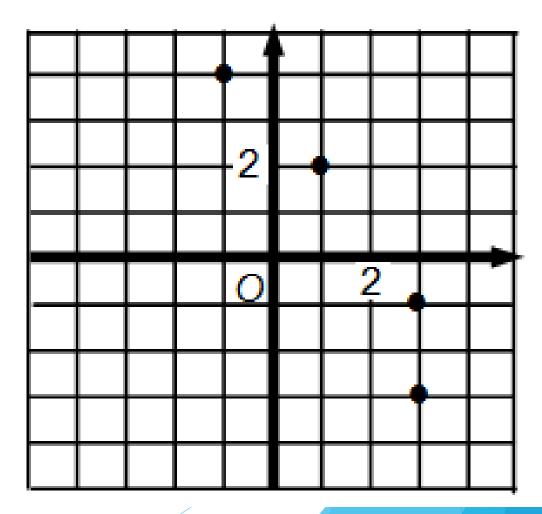
> A special relation where one input is matched with *exactly* one output

- Domain
 - The set of (possible) inputs
- Range
 - The set of (possible) outputs

Domain and Range

The Domain:

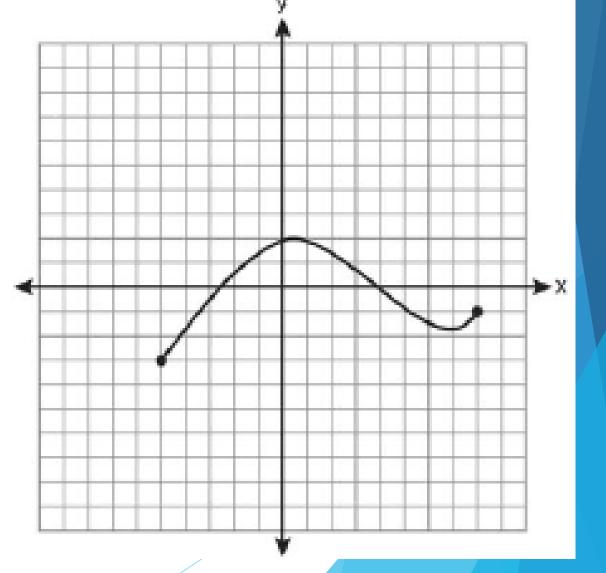
The Range:

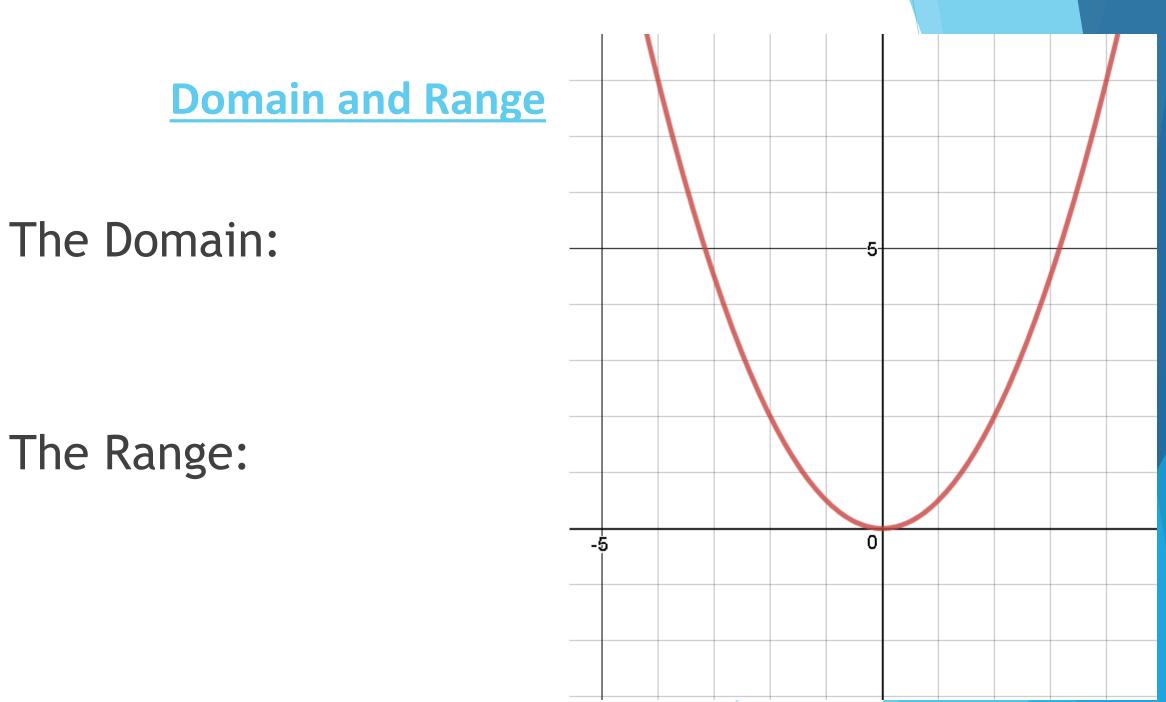


Domain and Range

The Domain:

The Range:





Notation

Inequality

 $3 \le x < 10$

- x is between 3 and 10
- Closed dot gets the "or equal to" line; open dot does not

 $x \le 10$

The smallest x is ∞ ; the biggest is 10

Interval Notation

[3,10)

- Closed dot gets bracket
- Open dot gets parentheses
- Smallest number, then biggest number
- Infinity always gets parentheses
- ► Examples: (-7,5], $(-\infty,\infty)$, [2,9]

4.6: Graphing

SWBAT identify and graph four basic functions (linear, quadratic, absolute value, and square root) and identify their domain and range.

Graphing Functions

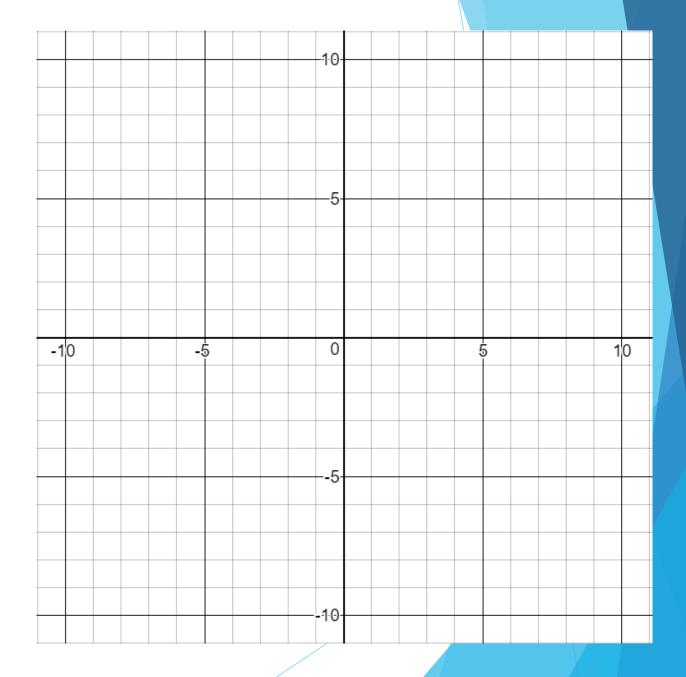
- When we graph the function f, we are really graphing y=f(x)
- We have already graphed one kind of function: *linear functions*, which give us a line, by identifying slope and y-intercept
- You can also graph linear functions, and other kinds of functions, by creating a table of values.
- > Your table of values should include at least 3-5 points. The domain $\{-2, -1, 0, 1, 2\}$ is usually a good place to start.

Linear Functions

f(x) = x

x	f(x)
-2	
-1	
0	
1	
2	

Domain:

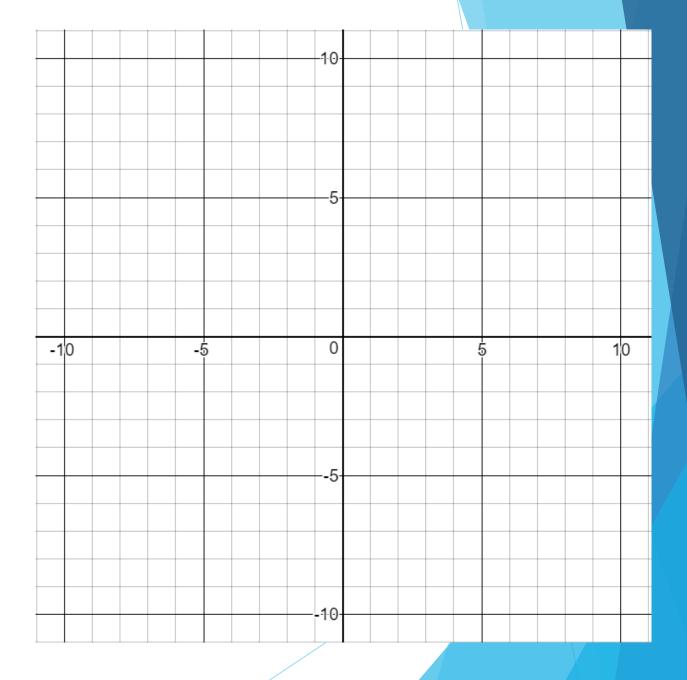


Absolute Value Functions

1. f(x) = |x|

x	f(x)
-2	
-1	
0	
1	
2	

Domain:

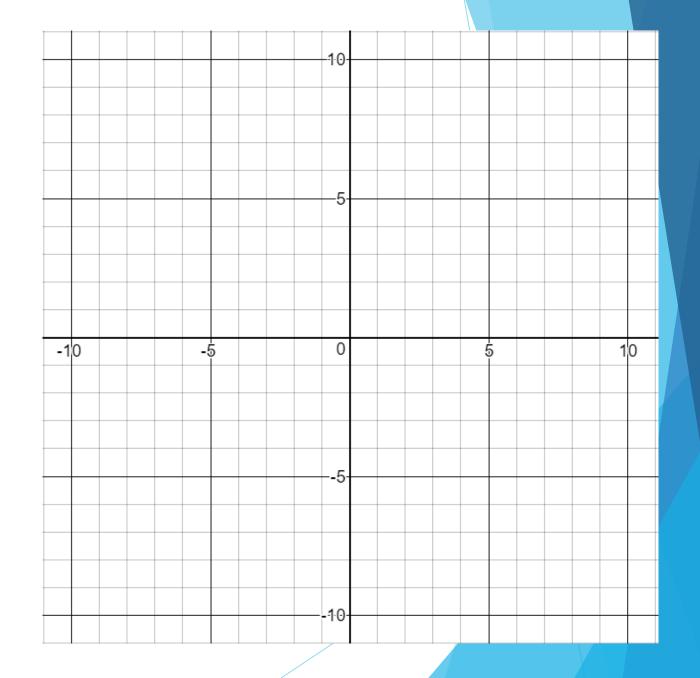


Quadratic Functions

1. $f(x) = x^2$

f(x)

Domain:

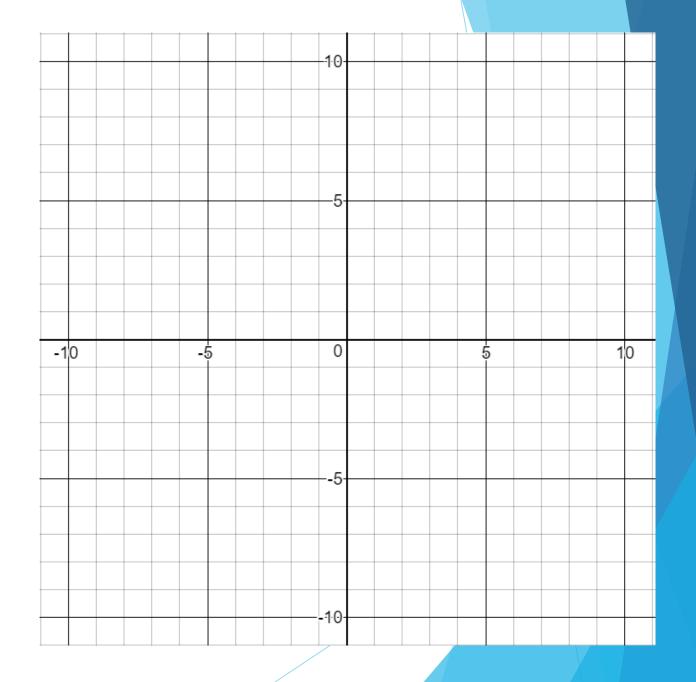


Square Root Functions

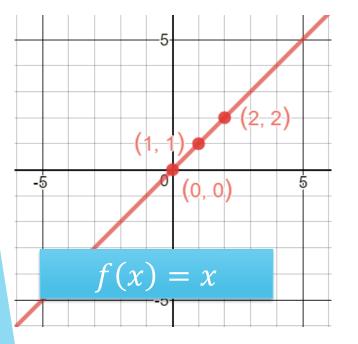
$$f(x) = \sqrt{x}$$

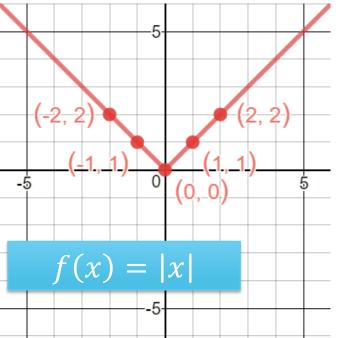
x	f(x)
-2	
-1	
0	
1	
2	
3	
4	

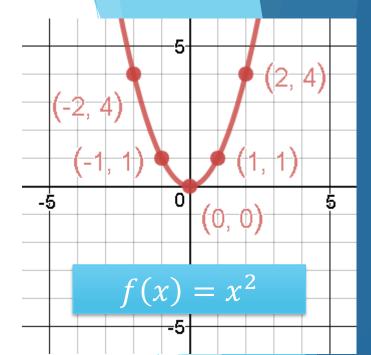
Domain:



Four Basic Functions







You are expected to memorize these graphs.

Other basic functions include: $f(x) = \frac{1}{x}$; $f(x) = x^3$; $f(x) = \sqrt[3]{x}$.

